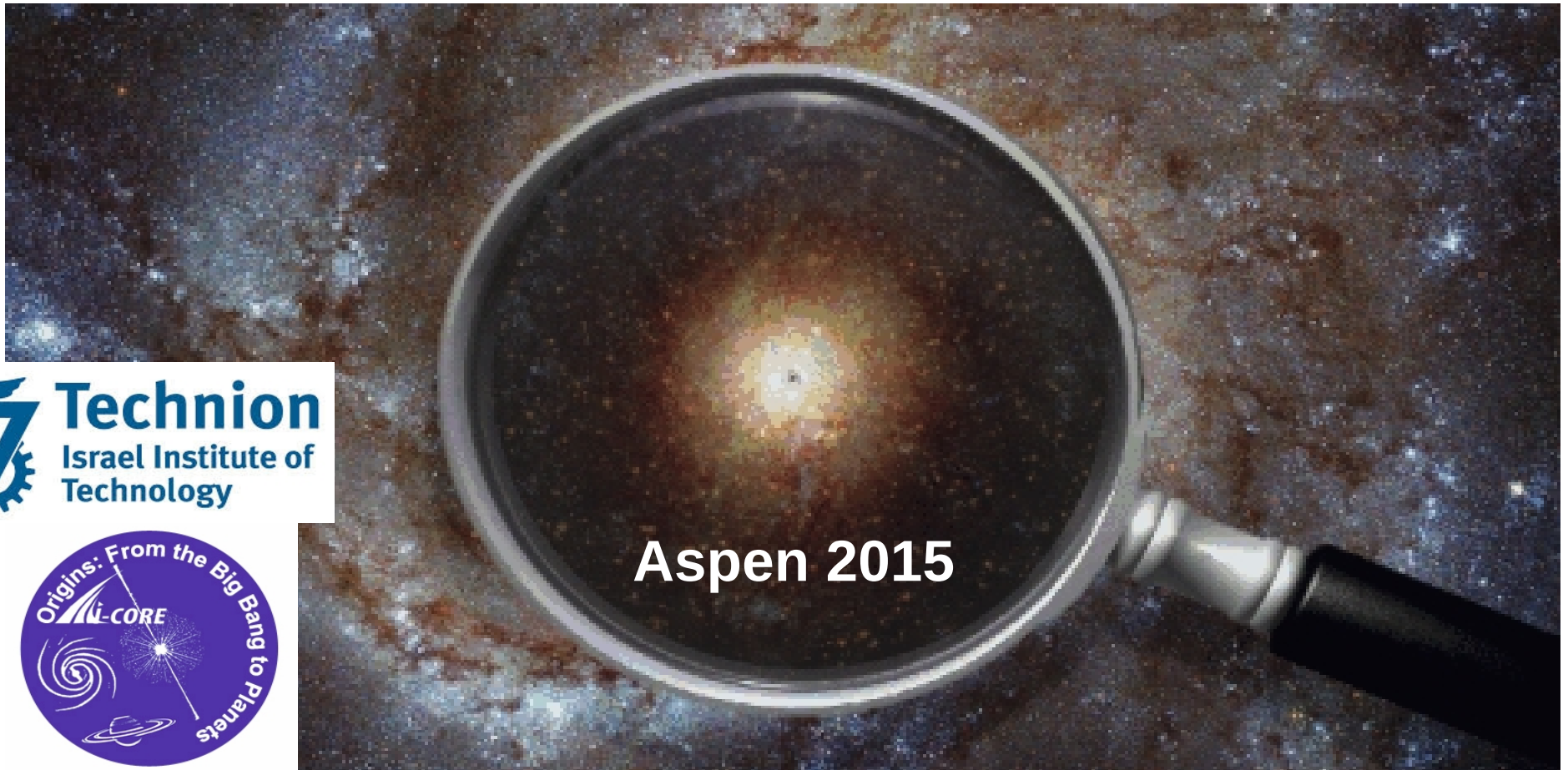


Formation and Evolution of nuclear stellar clusters and their components

Hagai Perets

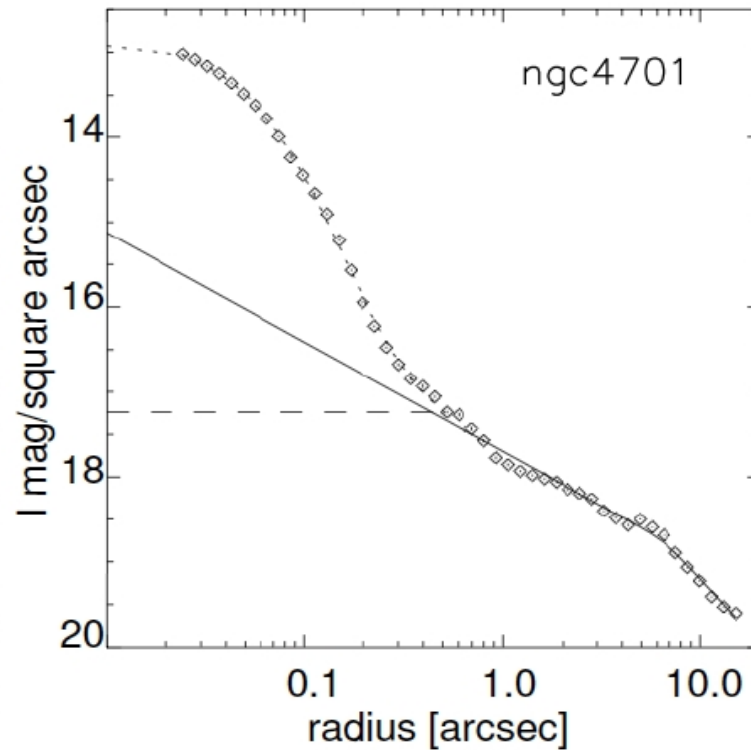
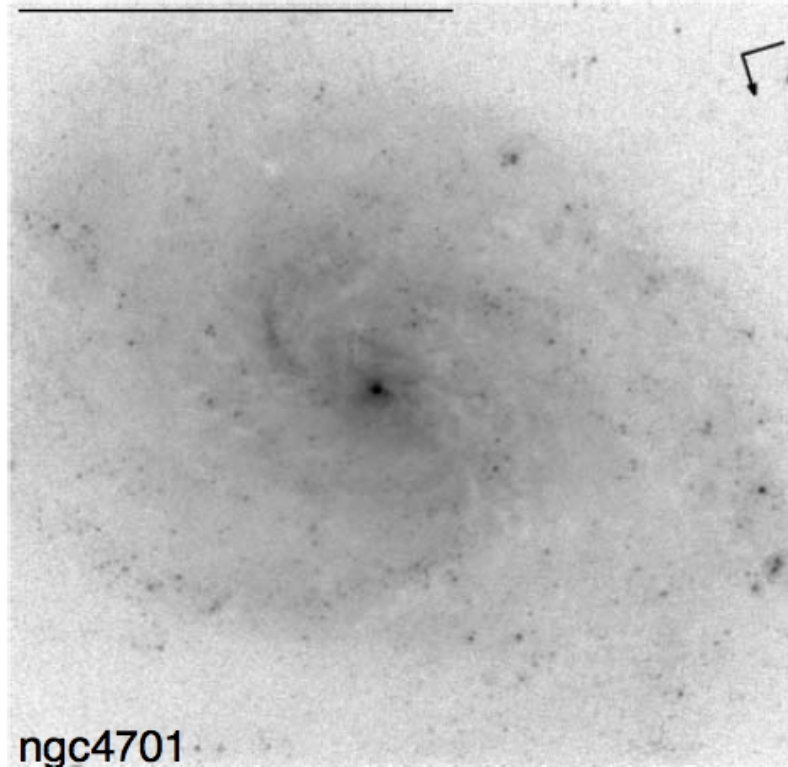
Technion – Israel Institute of Technology



Aspen 2015

Allessandra Mastrobuono-Battisti, Danor Aharon, Diego Michaeloff

Dense Nuclear Stellar Clusters (NSCs) reside in most galactic nuclei



- NSCs are detected in 50%-80% of spiral, (d)E, and S0 galaxies (e.g., Carollo et al. 1998; Matthews et al. 1999; Boker 2008).
- NSCs have typically **half-light radii** of 2-5 pc and **masses** of $10^6 - 10^7 M_{\text{sun}}$

Two NSC-formation scenarios were suggested

- The dry merger/cluster infall scenario in which a NSC is formed from the infall of multiple stellar clusters/galaxy mergers

(e.g. Tremaine 1975; Ostriker 1988; Capuzzo-Dolcetta 1993, Antonini et al. 2012; Antonini 2014; Gnedin et al. 2014; **HBP** & Mastrobuobo-Battisti 2014; Mastrobuobo-Battisti & HBP 2014)

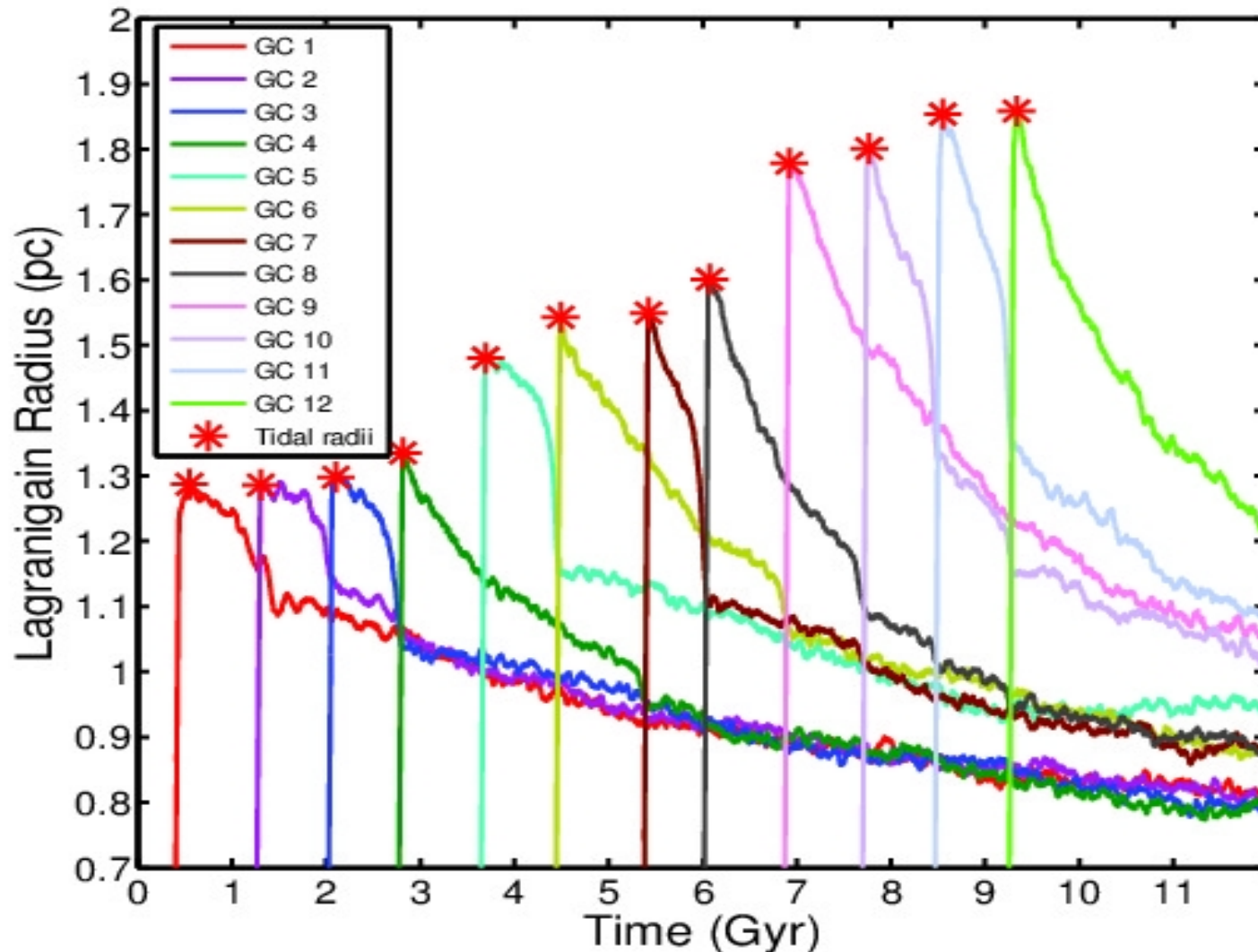
- The in-situ star formation scenario in which multiple star formation epochs in the nucleus build up the the NSC

(e.g. Loose et al. 1982; Seth et al. 2006, Bekky 2007, Aharon & **HBP** 2015)

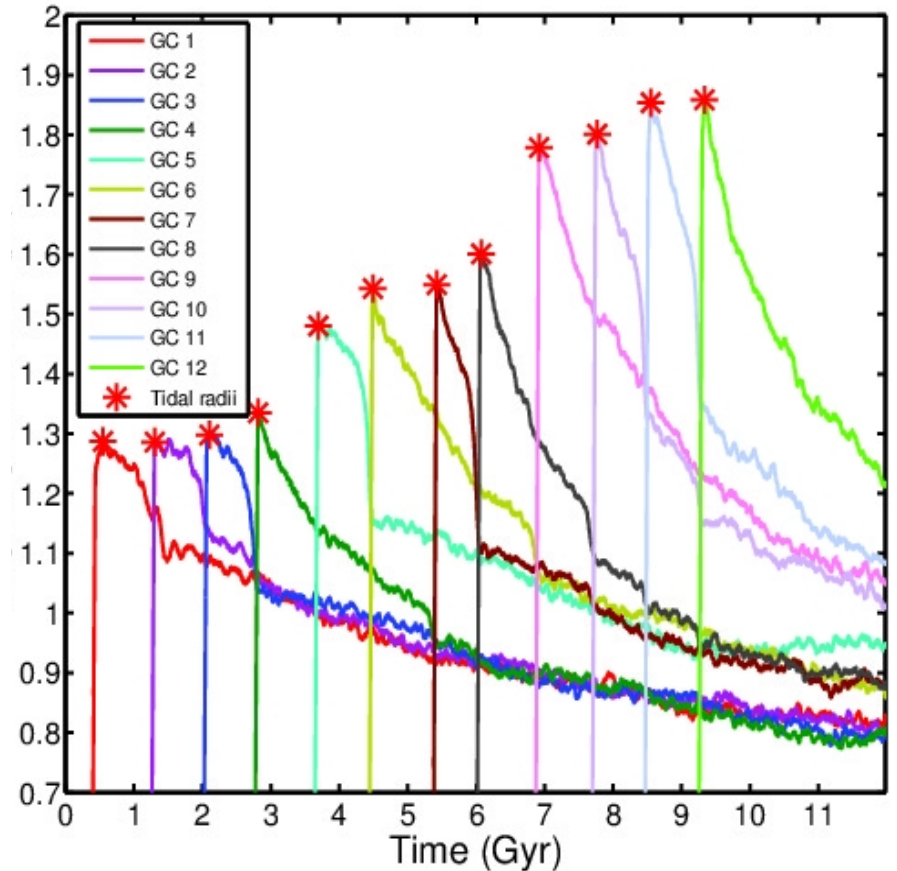
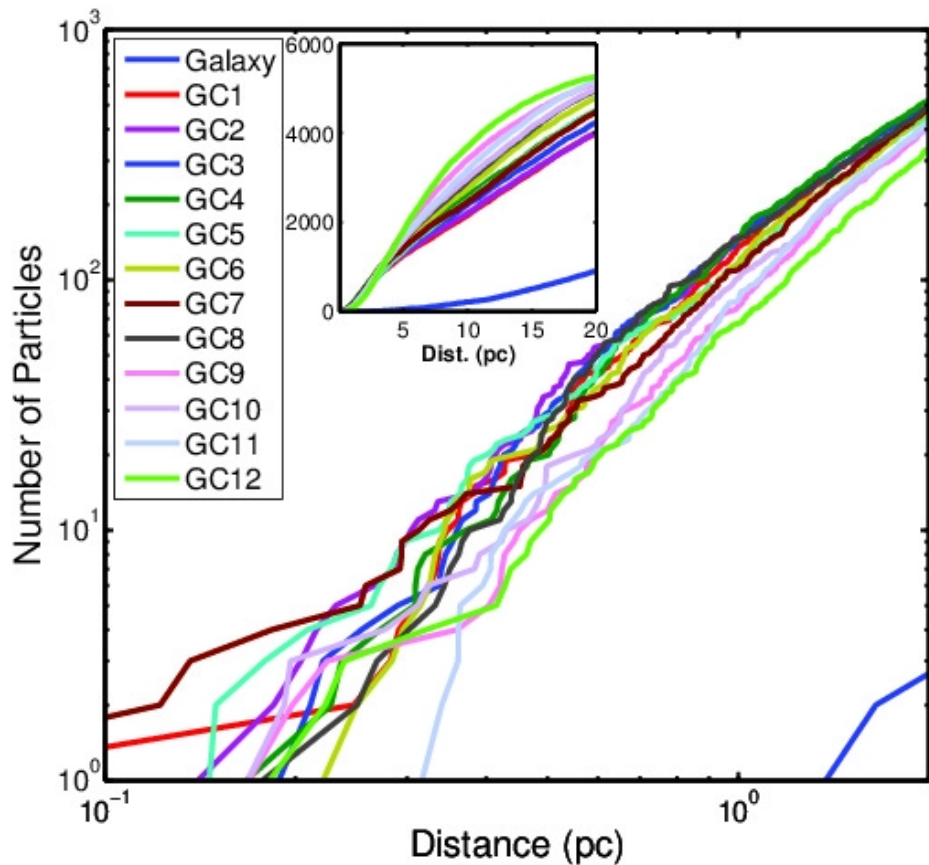
The dry scenario: The infall of multiple clusters form an NSC

- The NSC is built from the infall of several massive clusters
- Potential problems: Long times for dynamical friction inspiral
 - However violent relaxation, instabilities and massive perturbers may help kick clusters into more radial orbits on shorter time scales
- Clusters infall produce stratification or “age segregation” - stars from later clusters are less concentrated near the center,

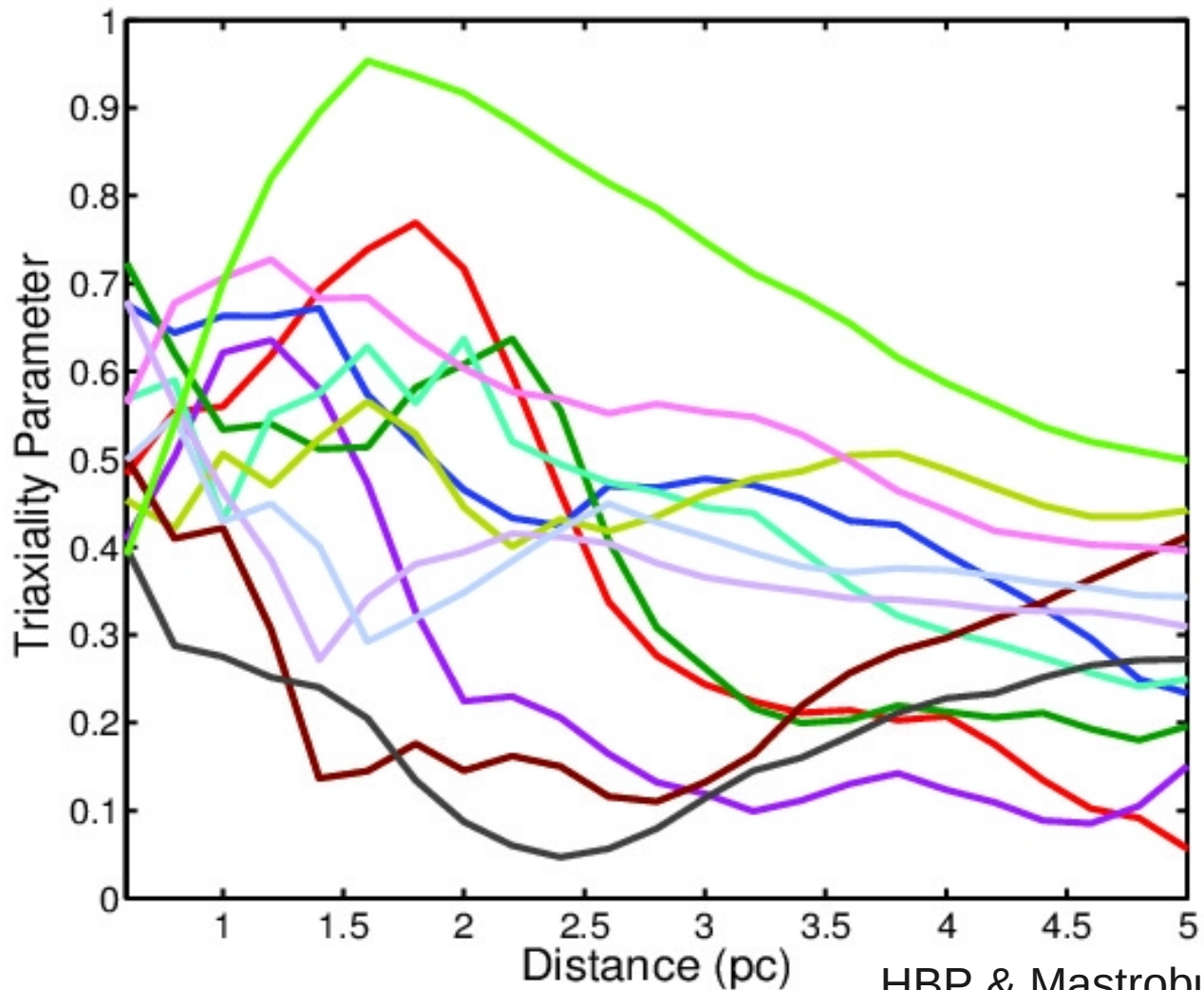
The cluster infall scenario produce a dynamical “age” segregation



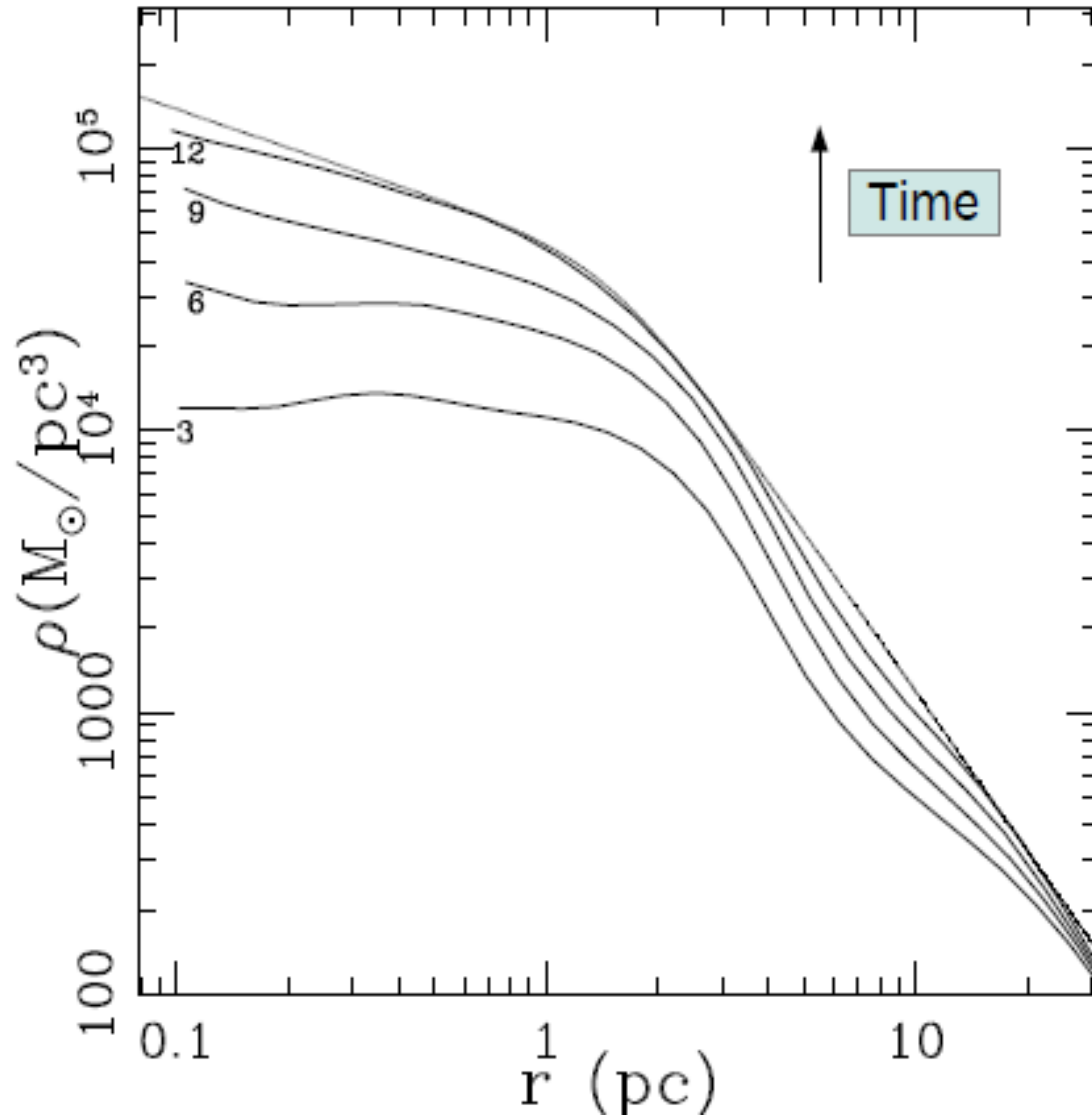
The cluster infall scenario produce a potential age/metallicity segregation



The cluster infall scenario also produces triaxiality, anisotropy and streams/disks-like sub-structures



The infall scenario forms an NSC with a large core-like structure

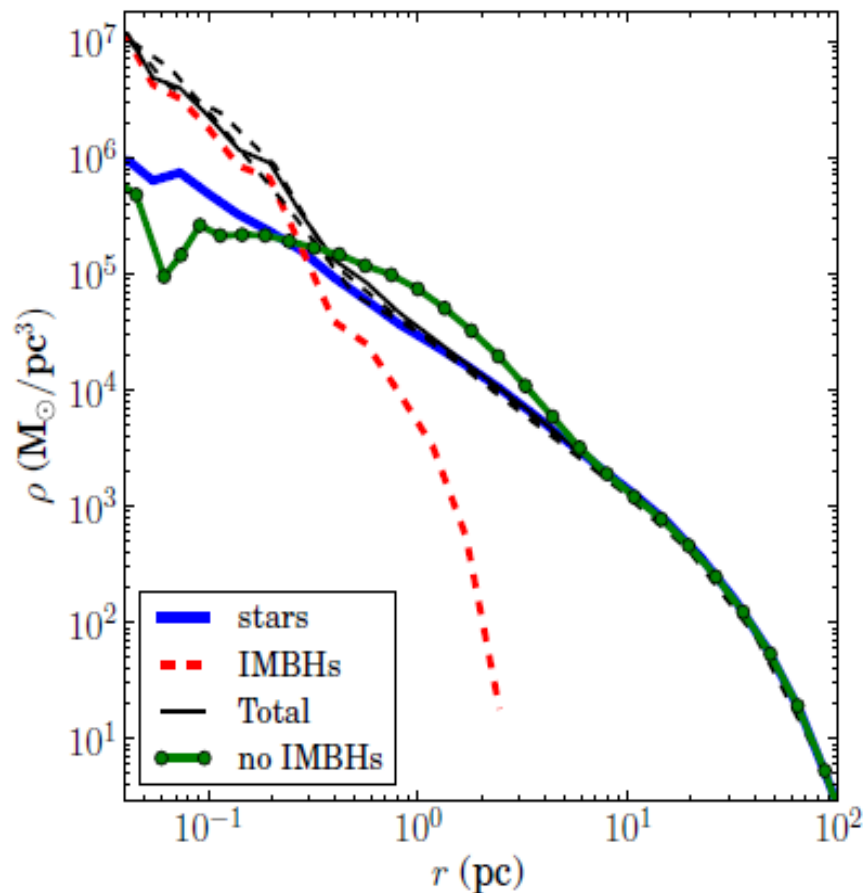


NSC structure and global TDE rates can constrain the existence of IMBHs locally and globally

NSC structure
W/WO IMBHs

- TDE rates for MW galaxy:

- With IMBHs:
~ 10^{-3} stars/yr
- W/O IMBH:
~ 10^{-5} - 10^{-4} stars/yr



Mastrobuono-Battisti, HBP &
Loeb 2014

The wet scenario: In-situ star formation builds-up the NSC

- Infall of a gaseous cloud leads to formation of a gaseous accretion disk
- Star formation may occur in such disks, producing stellar disks (e.g. Artymowicz+1993, Collin & Zahn+1999, Levin & Beloborodov+2003)
- Multiple such star-formation epochs build-up the NSC
- Most recent populations should not be relaxed

Long-term evolution of NSC through multiple SFR epochs: Fokker-Planck

- Stellar cusp around a MBH – Fokker Planck calculations (Bahcall & Wolf, 1976)

$$\underbrace{\frac{\partial g(x, \tau)}{\partial \tau}}_{DF} = - \underbrace{x^{5/2} \frac{\partial Q(x, \tau)}{\partial x}}_{\text{flow rate}} - \underbrace{R_M(x)}_{\text{loss cone}}$$

Long-term evolution of NSC through multiple SFR epochs: Fokker-Planck

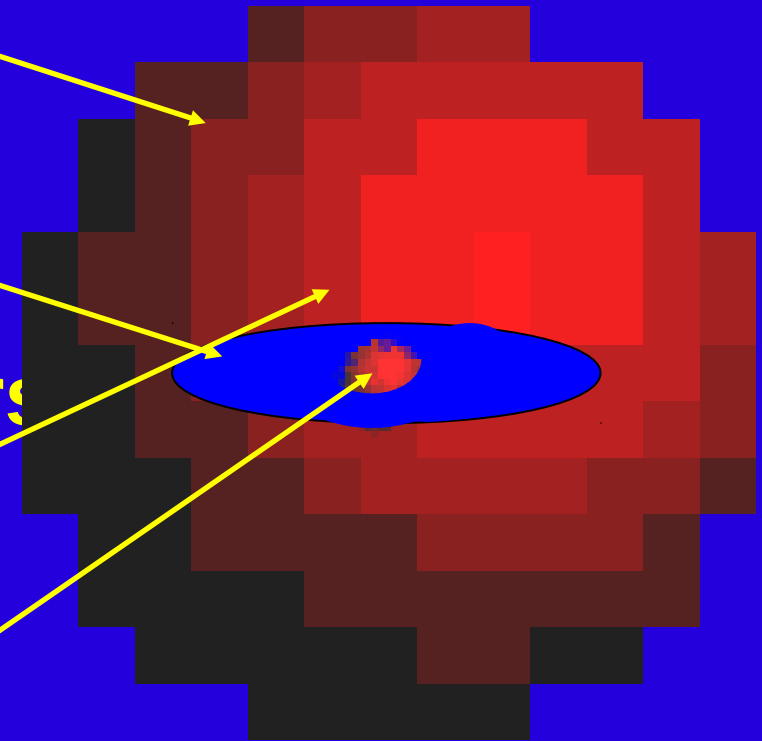
- Stellar cusp around a MBH – Fokker Planck calculations (Bahcall & Wolf, 1976)

$$\underbrace{\frac{\partial g(x, \tau)}{\partial \tau}}_{DF} = - \underbrace{x^{5/2} \frac{\partial Q(x, \tau)}{\partial x}}_{\text{flow rate}} - \underbrace{R_M(x)}_{\text{loss cone}} + \underbrace{B(x)}_{\text{star formation}}$$

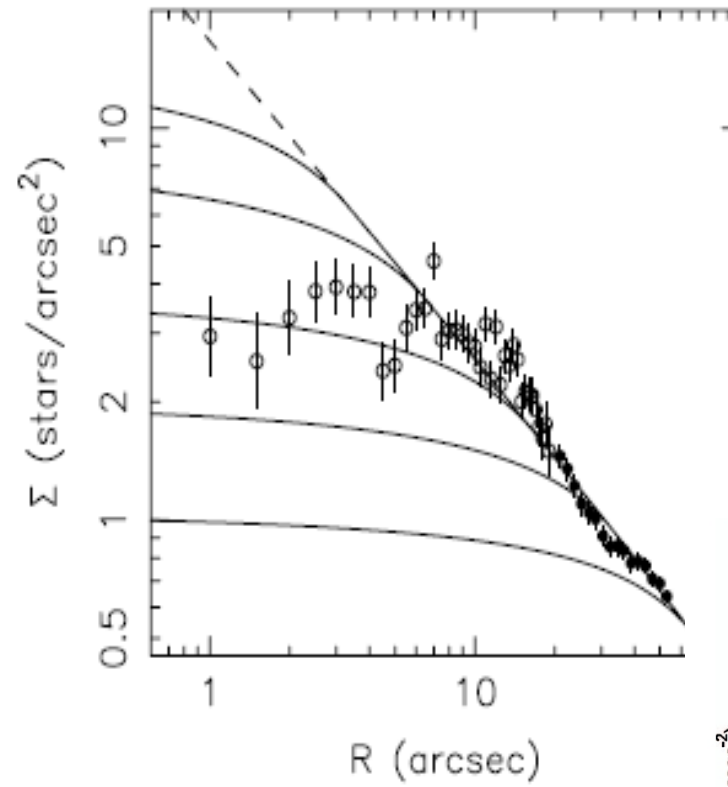
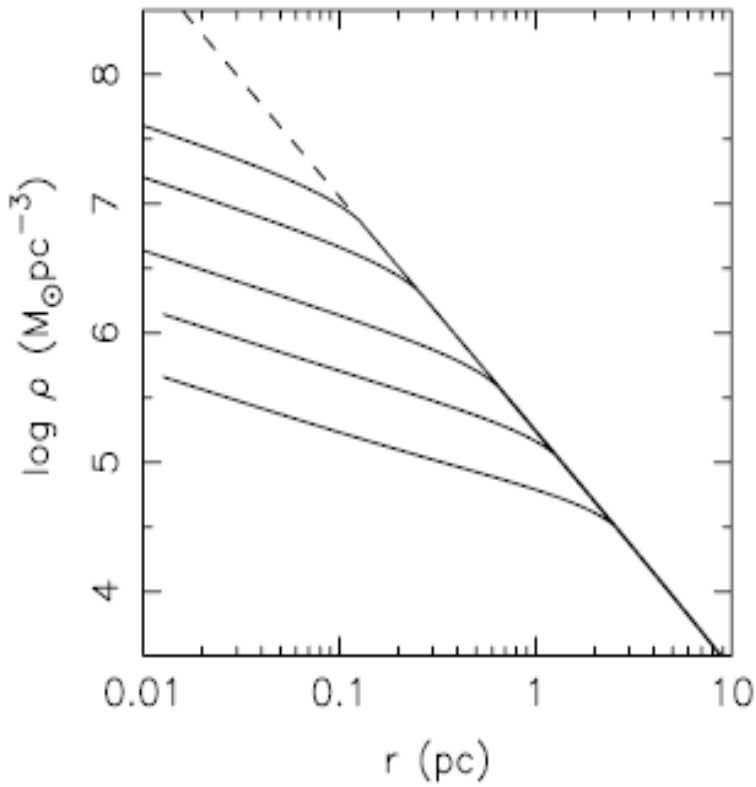
- Adding a source term from star formation

The Galactic Center: an NSC lab

- Older stellar cusp
mass: $\sim 10^6 M_{\text{sun}}$ (2-4 pc scale)
with an inner-core region
- Very young stellar disk
scale: 0.05-0.5 pc
mass: 10^3 - $10^4 M_{\text{sun}}$ age: ~ 5 -7 Myrs
 - Another more massive isotropic component
- Young B-stars
scale: ~ 0.5 pc ~ 200 early type B-stars on slightly super-thermal orbits



The GC NSC shows a core-like distribution for the red giants

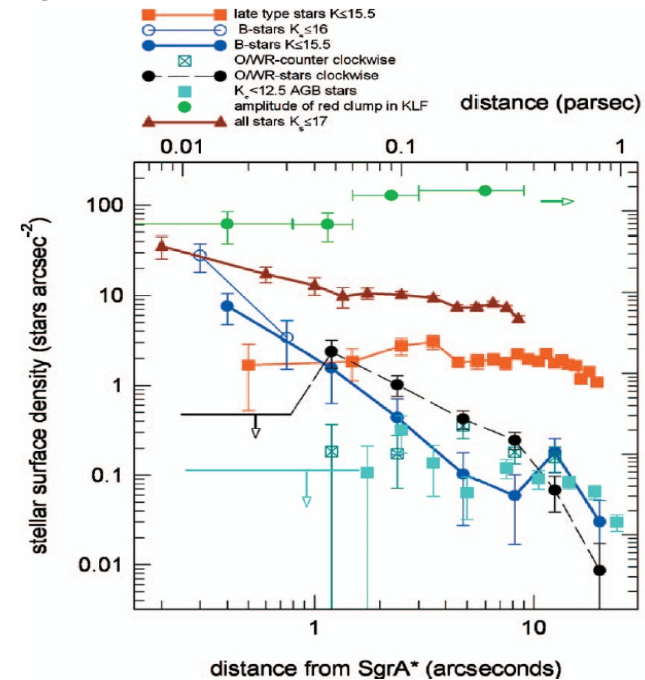


Merritt 2010

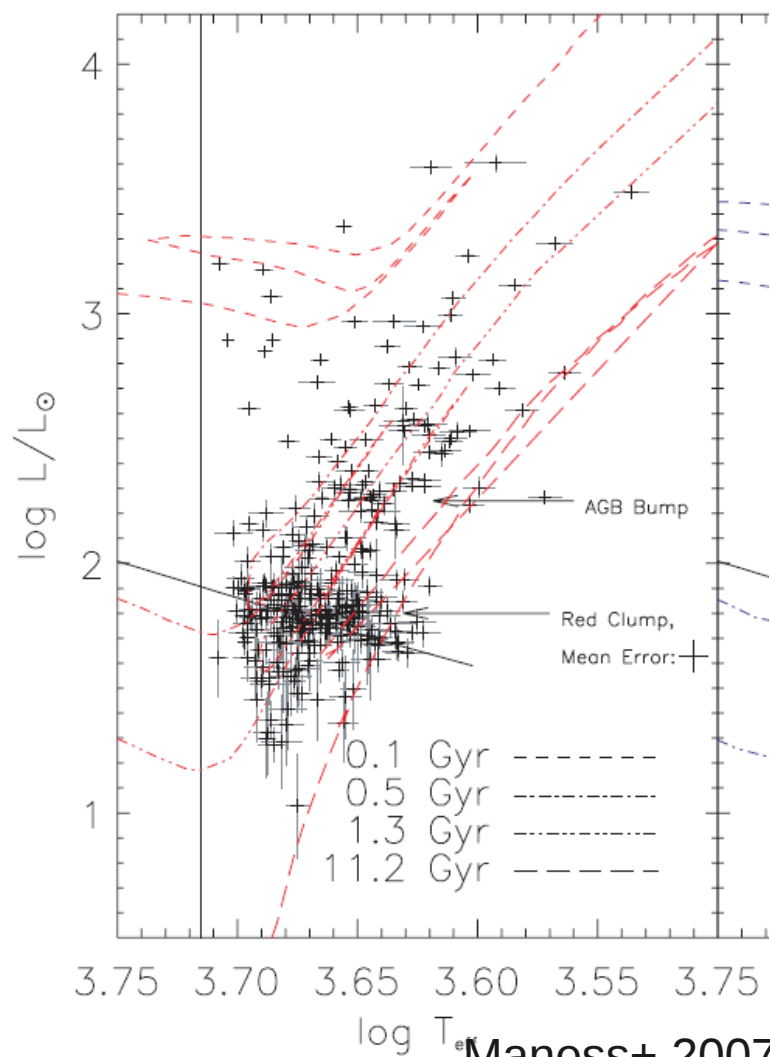
$$\rho(r) = \begin{cases} \text{const,} & \text{if } r \lesssim 0.5 \text{ pc} \\ \propto r^{-1.8}, & \text{if } 0.5 \lesssim r \lesssim 30 \text{ pc} \end{cases}$$

$$M_{NSC} \sim 10^7 M_{\odot}$$

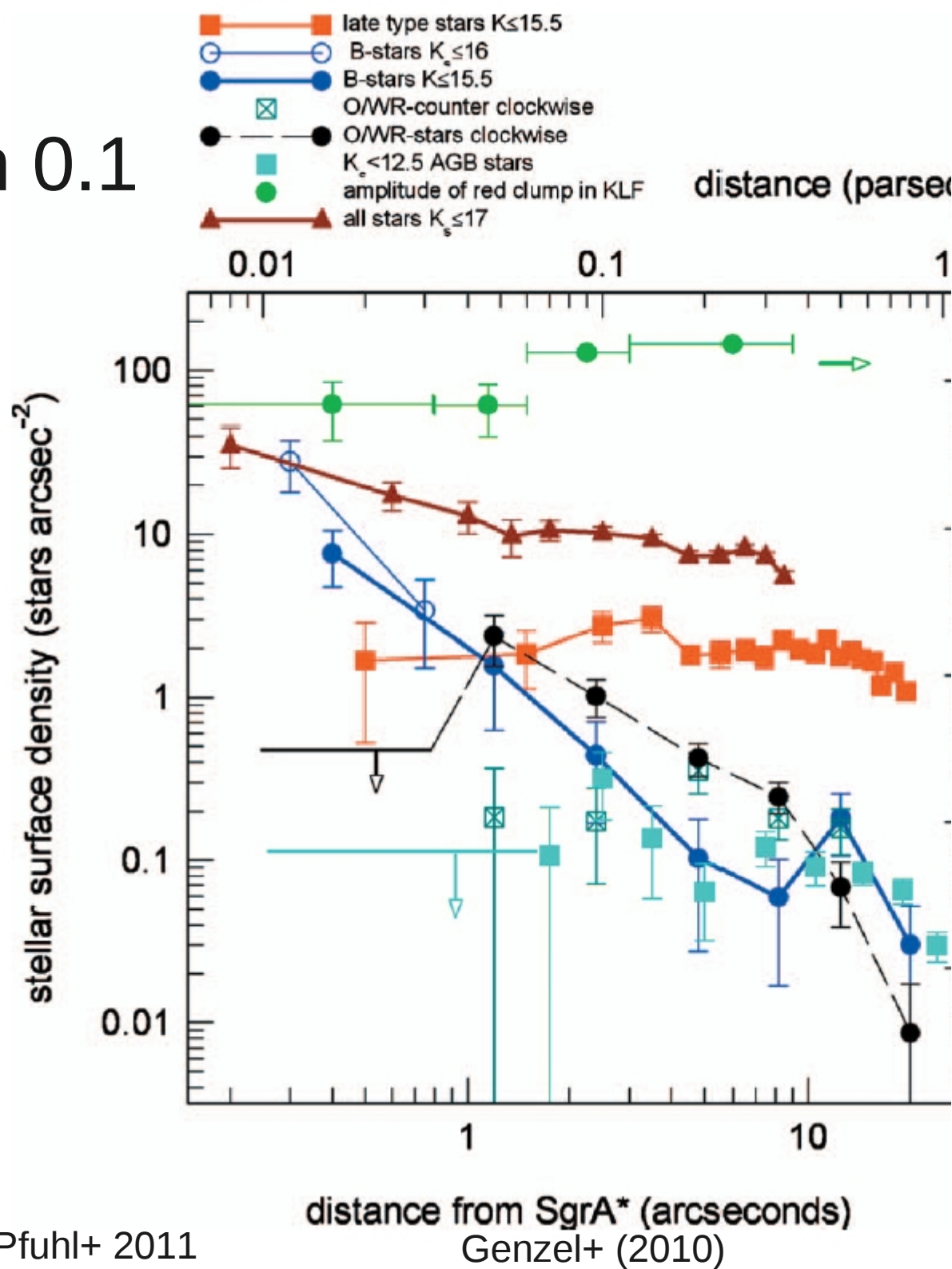
Genzel+2010



The ages of the red-giants range between 0.1 to a few Gyrs



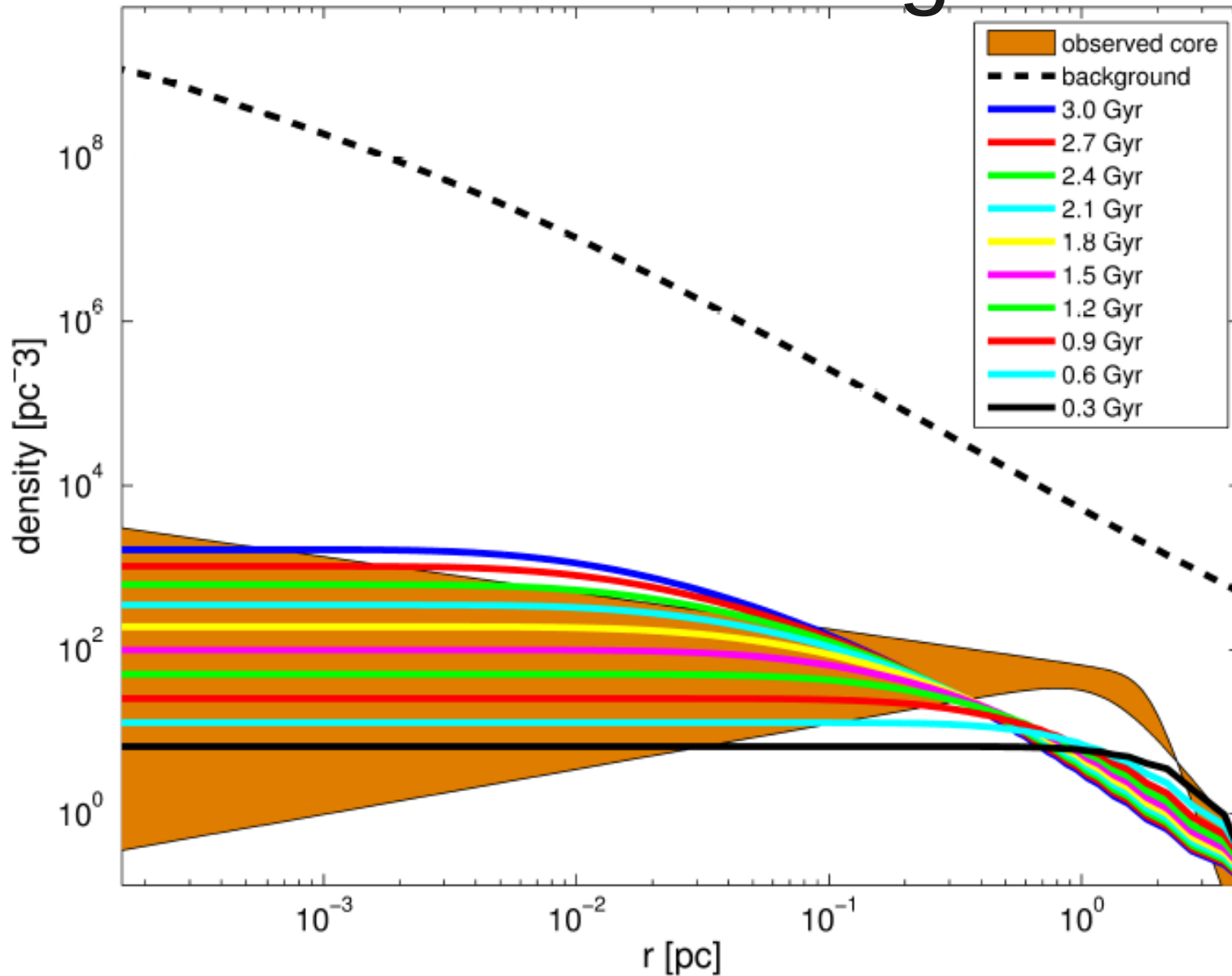
Maness+ 2007, Pfuhl+ 2011



Several origins were suggested for the GC core

- **Stellar collisions (e.g. Davies et al. 2010)**
 - > Too inefficient
- **Gaseous disk stripping (Amaro-Seone & Chen 2014)**
 - > Very fine-tuned (extreme radial dependence); marginally works only for very small cores (~ 0.1 pc at most)
- **Resonant relaxation clearing (Merritt+2015)**
 - Size of core limited. Affects all populations
- **Post IMBH-infall un-relaxed system (merritt 2010)**
 - > No IMBH observed, core for all stellar populations
- **The cluster infall scenario (Antonini et al. 2012, HBP & Mastrobuono-Battisti 2014)**
 - > Very large core of all stellar populations (with some age segregation)
- **In-situ formation scenario (Aharon & Perets 2015)**
 - > Core only for young stellar population, size can vary

SF can form an apparent core of intermediate age stars



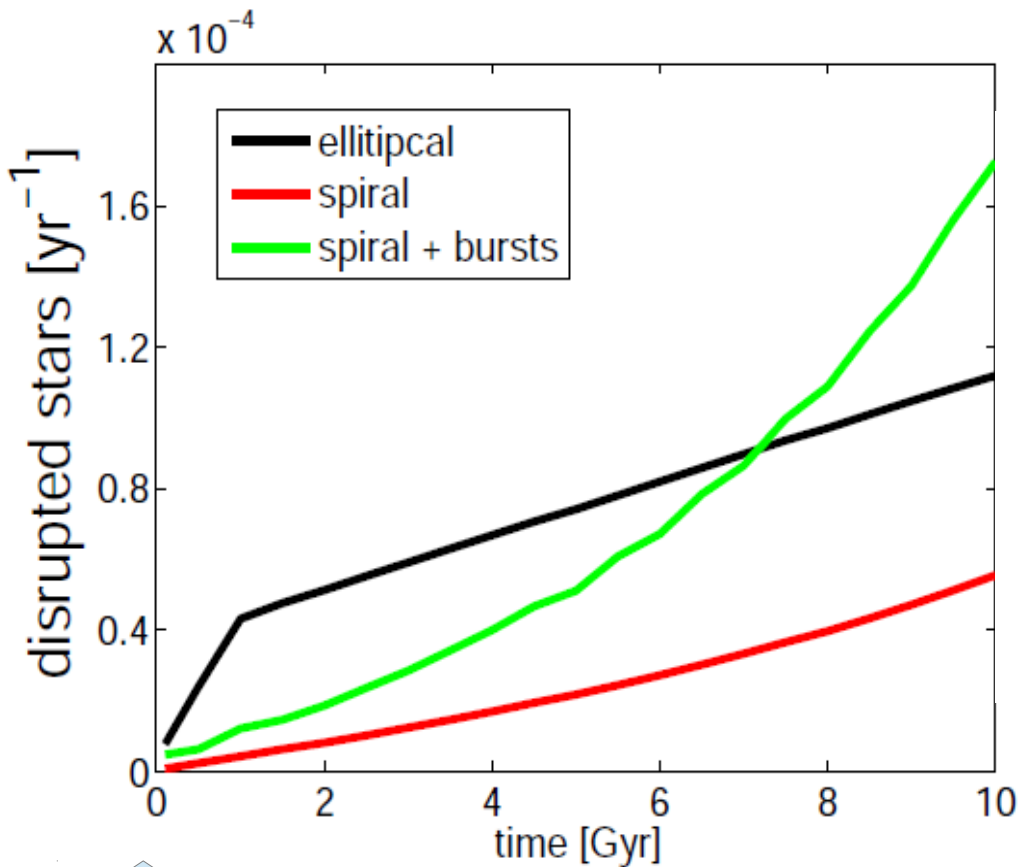
Do et al. 2013

Origin of the Galactic center NSC components (personal bias in blue...)

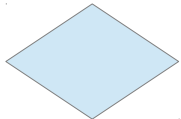
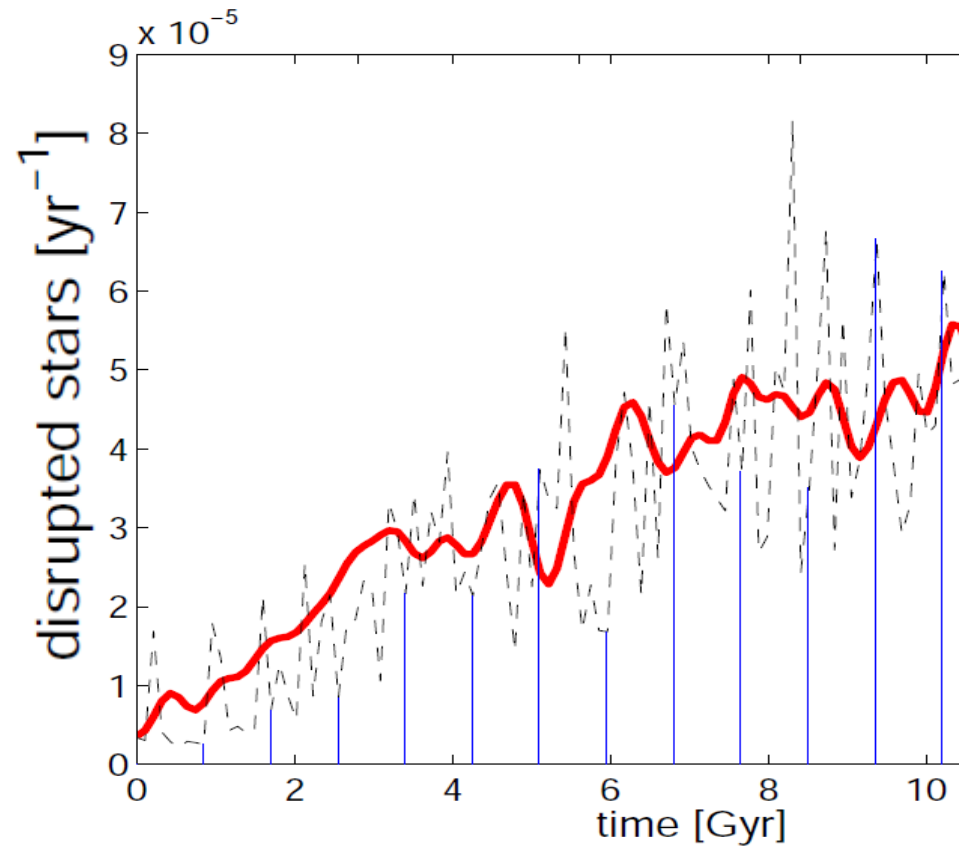
- Cusp -> cluster-infall/in-situ SF
- Disk -> Cloud infall + 2-body relaxation (Mapeli, Gualandris & HBP 2014)
- O-stars cluster -> cloud infall + ??
- Young B-stars -> Tidal binary capture + massive perturbers + resonant relaxation
- G2, G1 -> ?
- Apparent core (only red giants)
 - In-situ SF
- Global core ->
 - Big -> cluster-infall
 - Small -> RR clearing

The tidal disruption rate of stars evolves with time and depends on the NSC build-up history

In-situ SF

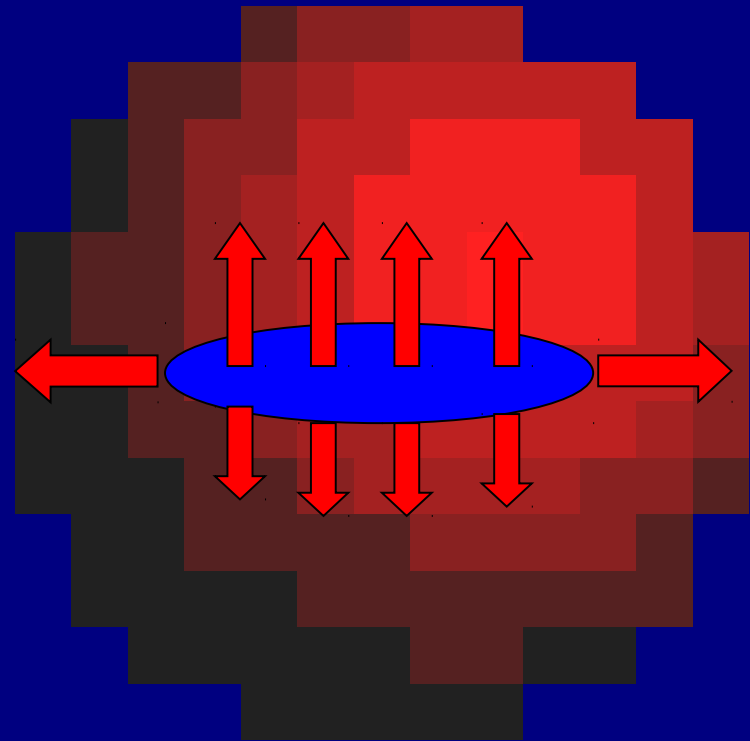


Cluster-infall

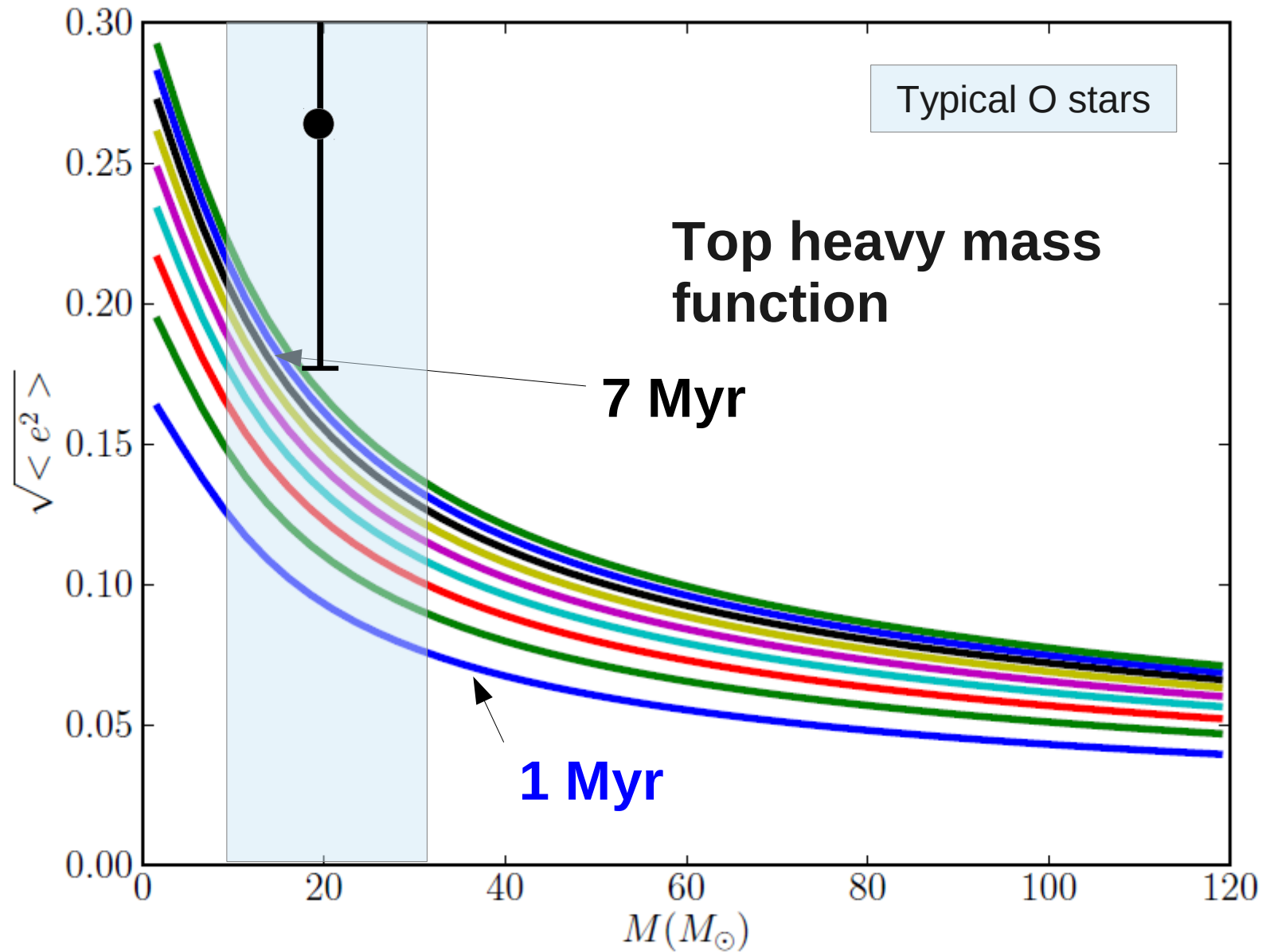


Dynamical evolution of the stellar disk: A hot cluster heats a cold disk

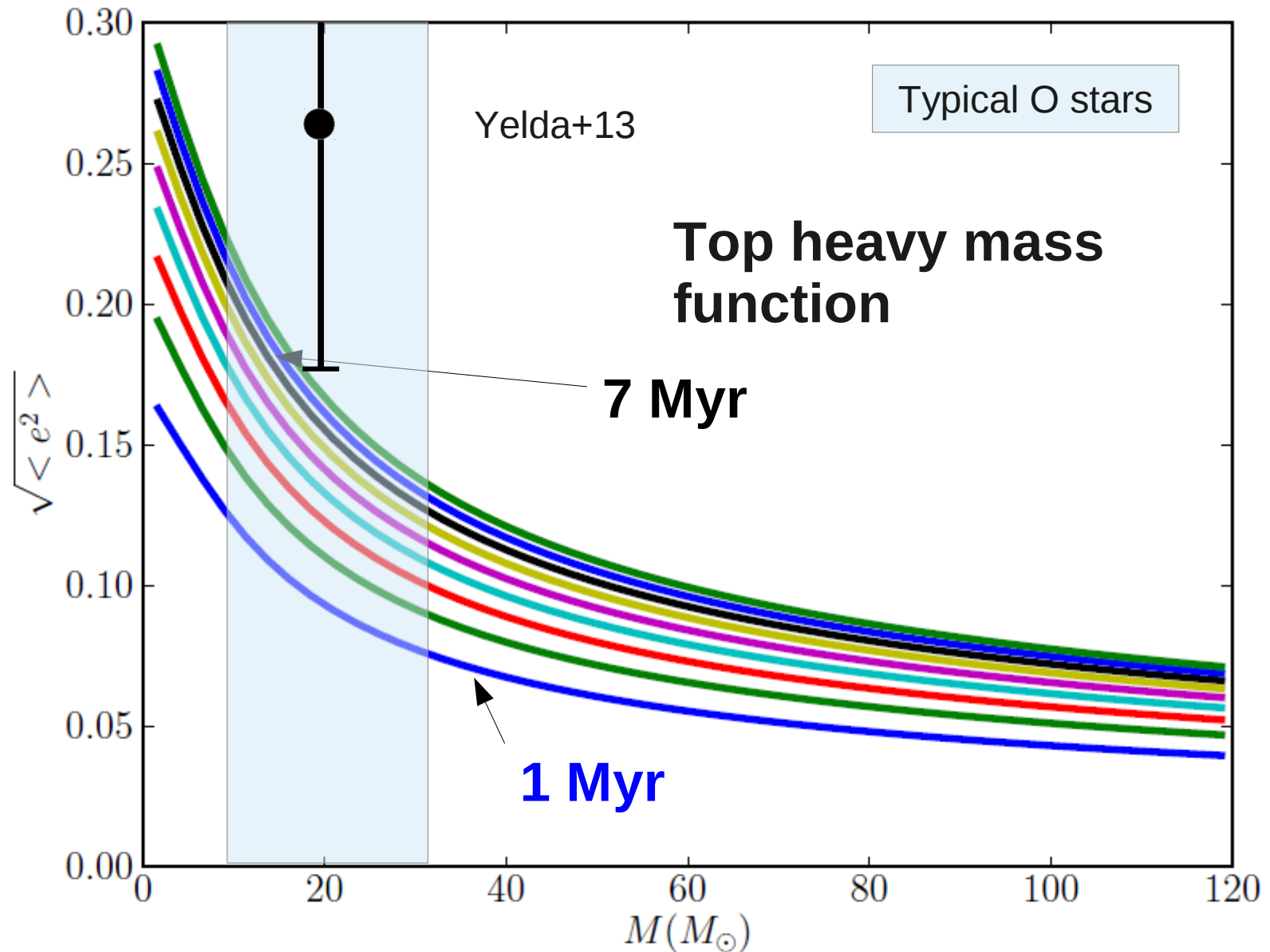
- A cold stellar disk embedded in a hot stellar cusp
- Disk heating:
 - Self interactions
 - Disk-cusp coupling
 - Regular (incoherent) relaxation
 - Collective effects:
 - Resonant (coherent) relaxation
 - Eccentric-disk instability
 - Massive-perturbers
- Important components
 - Massive stars and stellar black holes
 - NSC potential



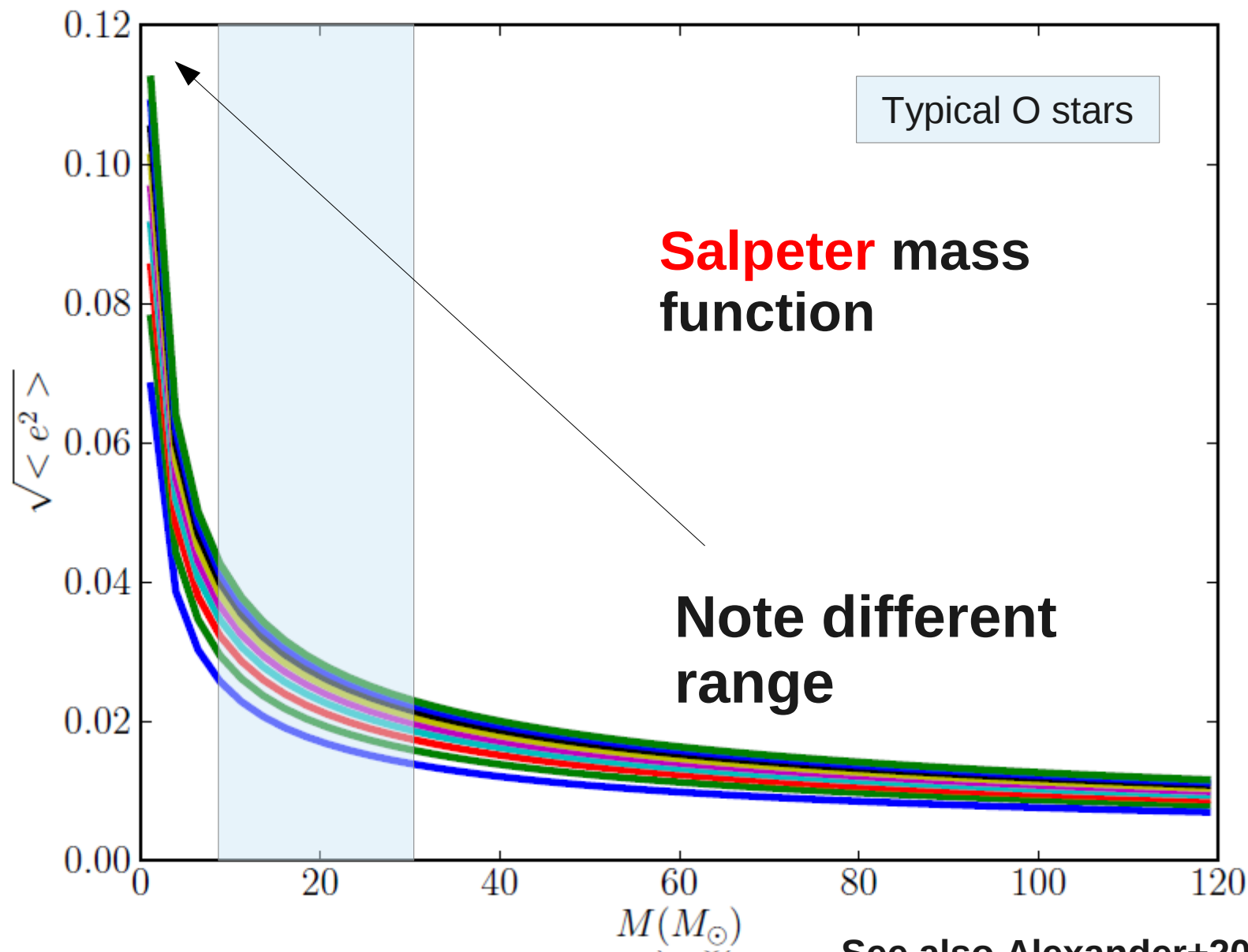
Results of 2-body disk heating are consistent with observations of O-stars



2-body Disk heating produces mass stratification



Top heavy MF required to explain disk properties



See also Alexander+2007

A note on the relation between eccentricity and inclination

- In 2-body relaxation: $e \sim 2 \times i$
- For resonant relaxation inclination evolves much faster than eccentricity
- Eccentric disk instability \rightarrow Madigan talk (?)
- The relation can provide a signature for the relaxation process, and can constrain the stellar black holes population

Summary

- Both cluster infall and in-situ star formation can build-up NSCs
- Both processes leave behind “age-segregation” signature from the multiple population
- These can produce radial gradients and distinct structures in the properties of NSC stellar populations
- In-situ SFR may produce apparent cores structure of younger and even intermediate-age stellar population, possibly explaining the GC core
- The history of TDEs can probe the evolution of NSCs

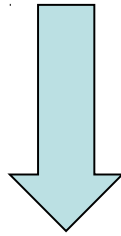
Summary II

- 2-body relaxation can explain the evolution of the stellar disk, but can not explain the large isotropic component of young stars
- Binary disruptions can also serve a source for stars in NSCs, and in particular the innermost regions of NSCs
- This process could important for understanding the origin of the young B-stars in the GC.

The disk heats due to 2-body relaxation

$$t_{relax} = \frac{C\sigma^3}{G^2 M_* \rho \ln \Lambda}$$

$$\rho = \frac{NM_*}{2\pi R_0 \Delta R (2H)}$$

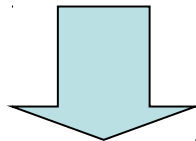


$$t_{orb} = 2\pi / \Omega$$

$$R = \Delta R = 0.15 pc$$

$$H = \sigma / \Omega$$

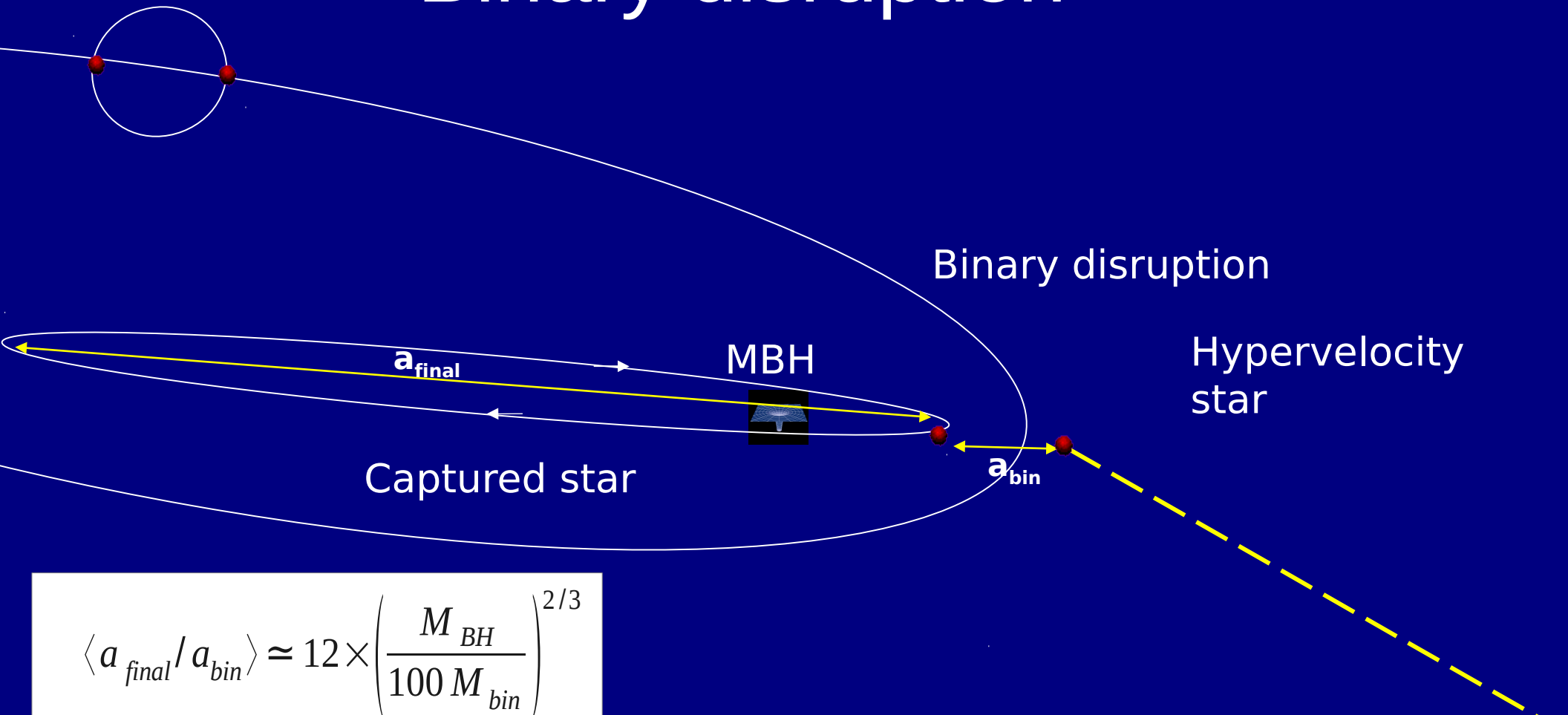
$$t_{relax} = \frac{C_1 R_0 \Delta R \sigma^4}{G^2 N M_*^2 \ln \Lambda} t_{orb}$$



$$\frac{d\sigma}{dt} = \frac{G^2 N M_*^2 \ln \Lambda}{C_1 R_0 \Delta R t_{orb} \sigma^3}$$

Alexander+2007
 Michaeloff & HBP, in
 prep.

Binary disruption



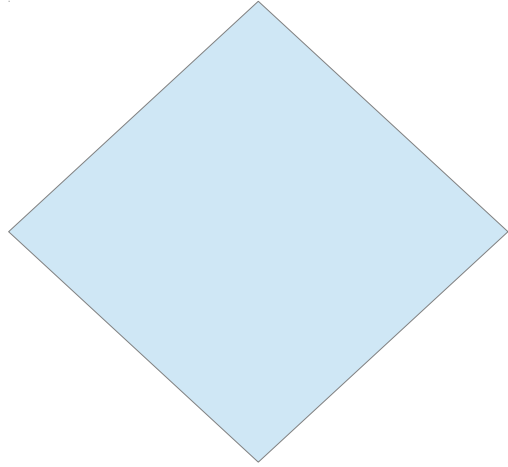
$$\langle a_{\text{final}} / a_{\text{bin}} \rangle \approx 12 \times \left(\frac{M_{\text{BH}}}{100 M_{\text{bin}}} \right)^{2/3}$$

$$e_{\text{cap}} = 1 - r_p / a_{\text{cap}} \sim 1 - (M_{\text{bin}} / M_{\bullet})^{1/3} > 0.95 \text{ in GC}$$

Hills (1991, 1992)

Hills 1991, Bromley et al. 2006

$$v_{\text{BH}} = 892 \text{ km s}^{-1} \left(\frac{a_{\text{bin}}}{1 \text{ AU}} \right)^{-1/2} \left(\frac{M_{\text{bin}}}{8 M_{\odot}} \right)^{1/3} \left(\frac{M_{\text{BH}}}{3.7 \times 10^6} \right)^{1/6}$$



Movie

Relaxed NSCs are cuspy

- Relaxed clusters around MBHs are expected to show a power-law radial density profile ($\rho \sim r^{-7/4}$; Bahcall-Wolf distribution)
- Binary MBH mergers may destroy nuclear clusters, forming a core
- Many NSCs in spiral galaxies show evidence for young nuclear disks/flattened structures

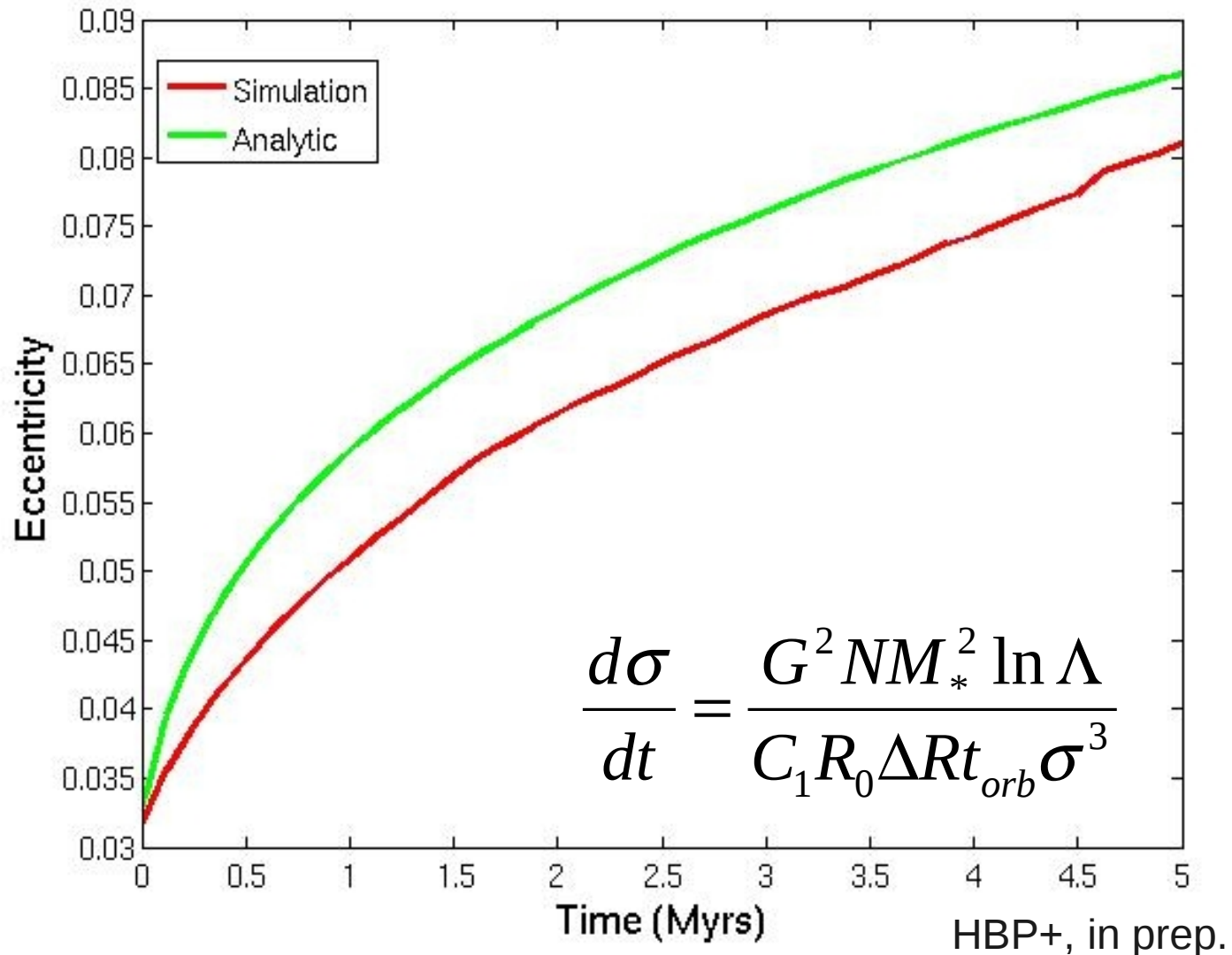
Relaxed NSCs are cuspy; but real NSCs have curves...

- Mass segregation: Multiple-mass populations could have power laws ranging between -1.5 - -2
- Binary MBH mergers can scour NSCs and destroy them
-

Relaxed NSCs are cuspy; Real NSCs have curves...

- Relaxed clusters around MBHs are expected to show a power-law radial density profile
($\rho \sim r^{-7/4}$; Bahcall-Wolf distribution)
- Binary MBH mergers may destroy nuclear clusters, forming a core
- Many NSCs in spiral galaxies show evidence for young nuclear disks/flattened structures

Isolated disk of equal mass stars



Isolated disk of multi-mass stars

$$\frac{d\sigma_1}{dt} = \underbrace{\frac{N_1 M_1^2 \ln \Lambda}{A_1 t_{orb} \sigma_1^3}}_{\text{Self Interaction}} - \underbrace{\frac{N_2 M_1 M_2 \ln \Lambda \sigma_1}{A_2 t_{orb} \bar{\sigma}_{12}} \left(1 - \frac{E_2}{E_1} \right)}_{\text{Coupling}}$$

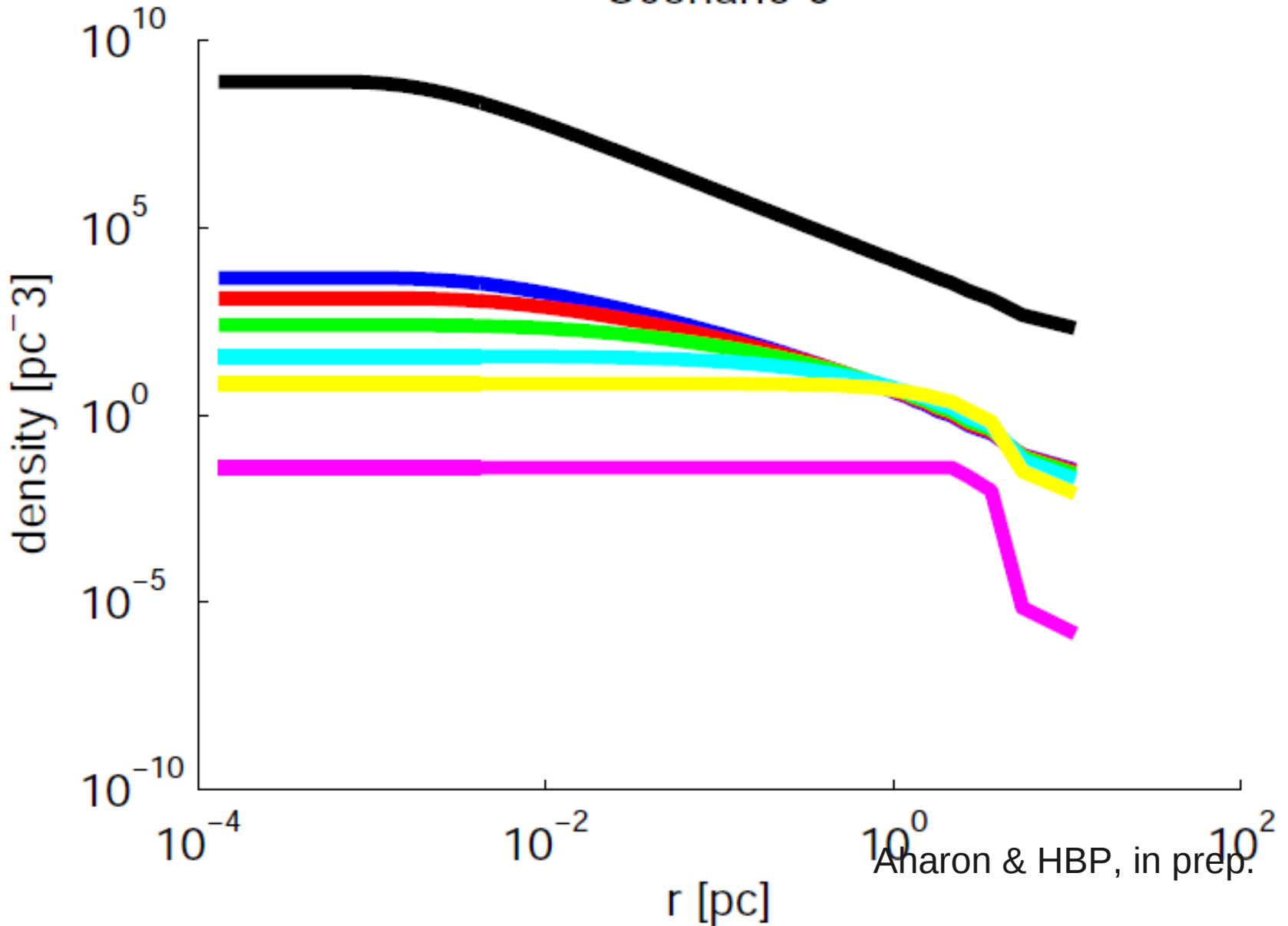
$$\frac{d\sigma_2}{dt} = \underbrace{\frac{N_2 M_2^2 \ln \Lambda}{A_1 t_{orb} \sigma_2^3}}_{\text{Self Interaction}} - \underbrace{\frac{N_1 M_1 M_2 \ln \Lambda \sigma_2}{A_2 t_{orb} \bar{\sigma}_{12}} \left(\frac{E_1}{E_2} - 1 \right)}_{\text{Coupling}}$$

$$E_i = 3M_i \sigma_i^2 / 2$$

$$A_i = C_i R_0 \Delta R / G^2$$

$$\bar{\sigma}_{12} = (\sigma_1 + \sigma_2) / 2$$

NSC-build-up and intermediate age cores



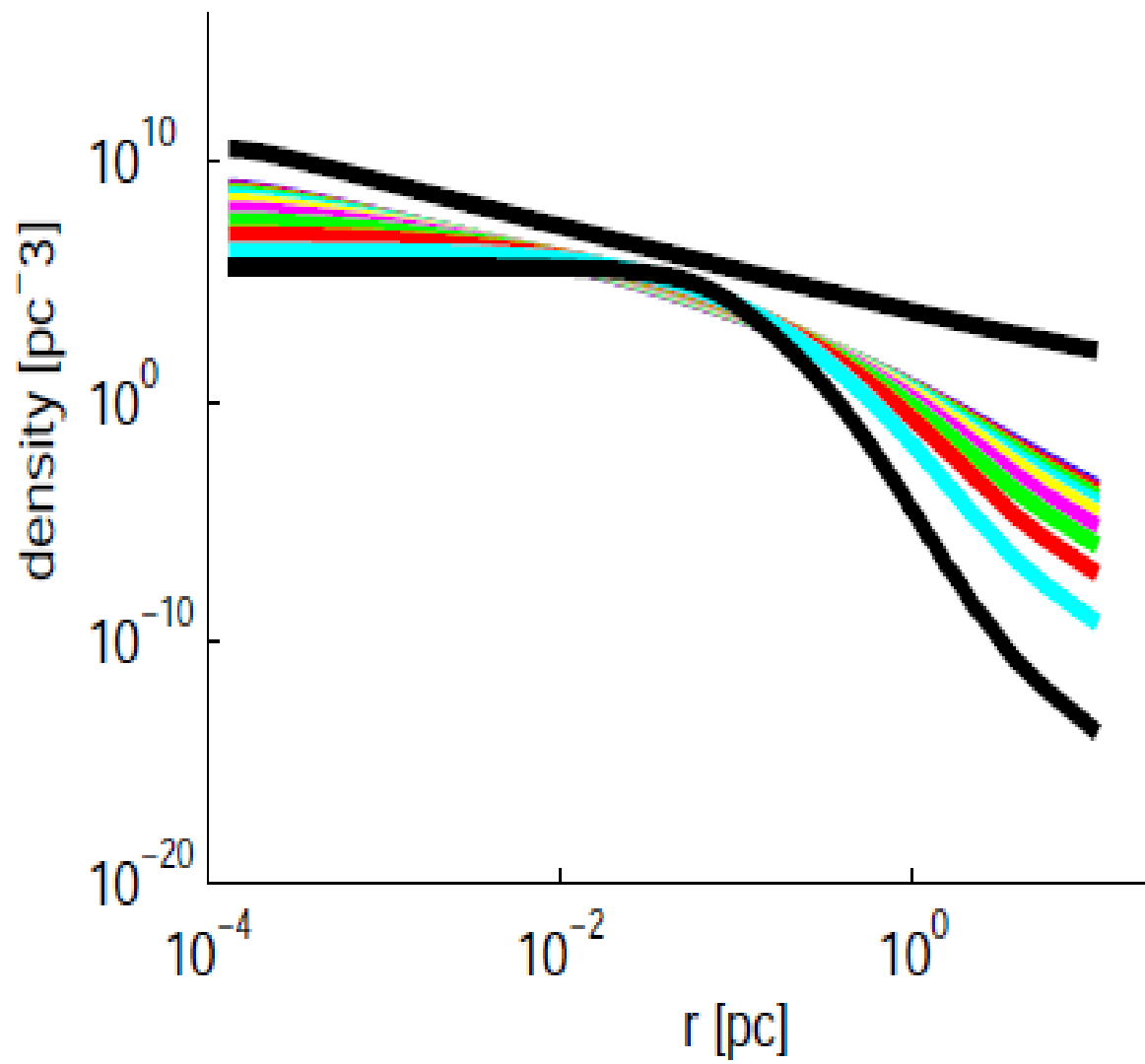
Aharon & HBP, in prep.

Captured Stars and Cusp Structure

- Stellar cusp around a MBH : Fokker Planck calculations (Bahcall & Wolf, 1976)

$$\underbrace{\frac{\partial g(x, \tau)}{\partial \tau}}_{DF} = - \underbrace{x^{5/2} \frac{\partial Q(x, \tau)}{\partial x}}_{\text{flow rate}} - \underbrace{R_M(x)}_{\text{loss cone}} + \underbrace{B(x)}_{\text{binary source}}$$

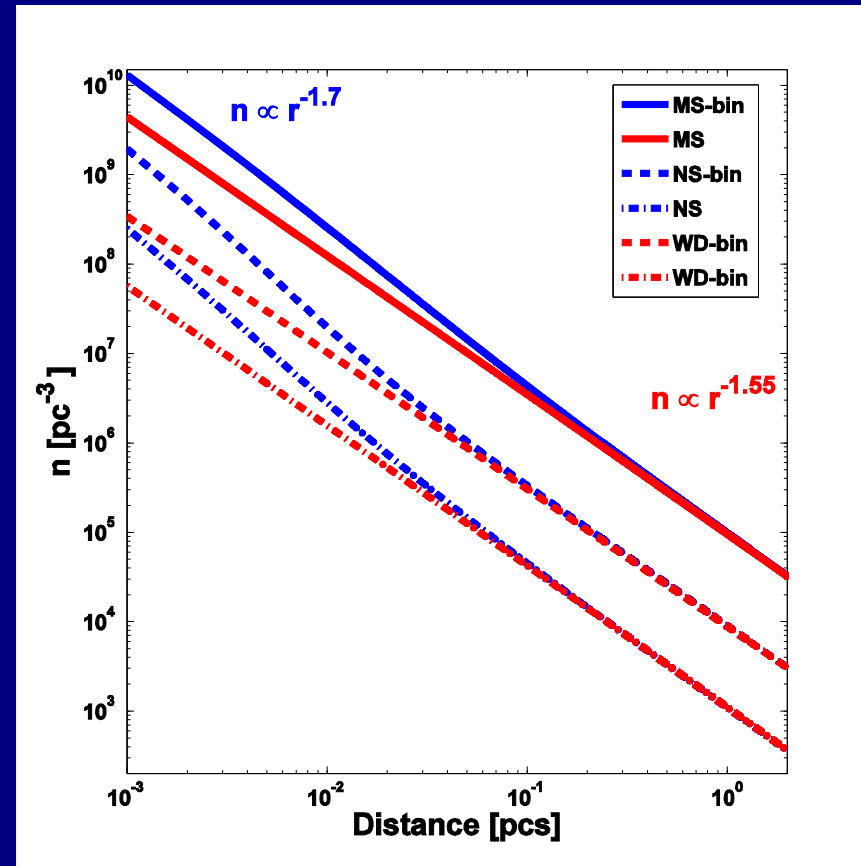
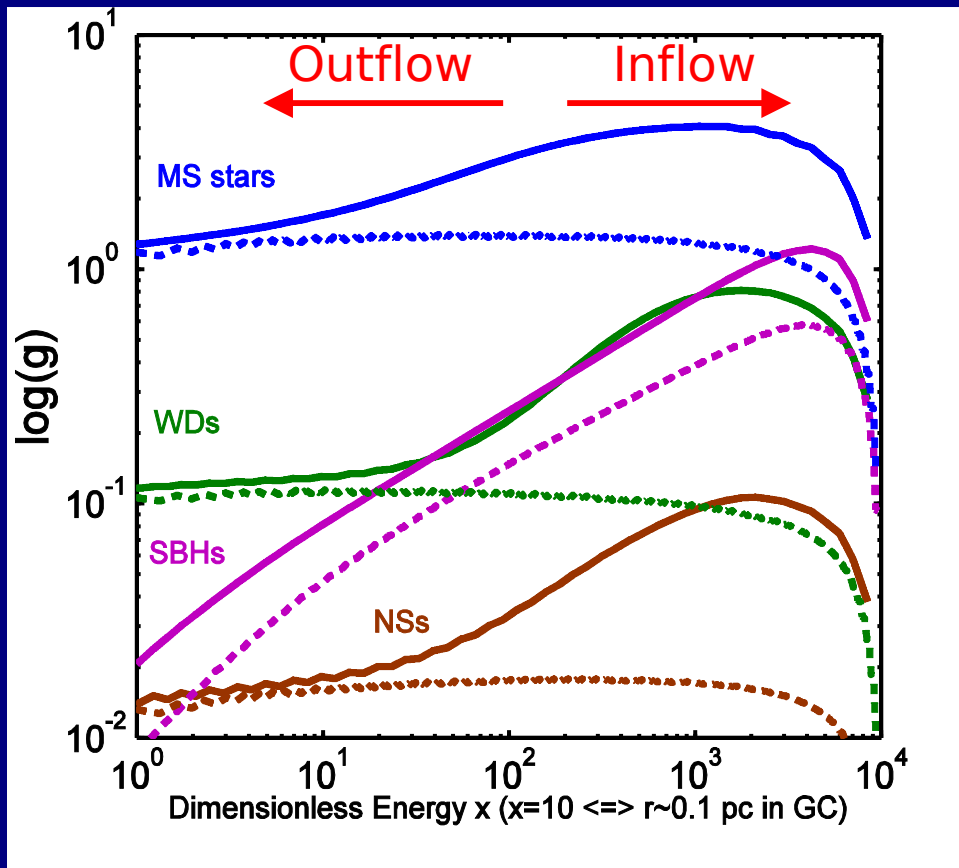
- Adding a source term from binary disruptions



Population segregation

- Should exist for 2-body relaxing system
- Non-observation will require some type of violent relaxation which produce complete mixing

Compact object and cusp Structure



- Binary source can cause outflow of single stars from the cusp.

Summary

- We discussed the formation and evolution of NSCs through cluster infall and in-situ star formation
- Both processes leave behind “age-segregation” signature from the multiple population
- These can produce radial gradients in the properties of NSC stellar populations
- Hybrid models are likely most realistic
- In-situ SFR may produce apparent cores structure of younger and even intermediate-age stellar population, possibly explaining the GC core

Summary II

- Binary disruptions can also serve as a source for stars in NSCs, and in particular the innermost regions of NSCs
- This process could be important for understanding the origin of the young B-stars in the GC.

We use N-body simulations to study the cluster-infall scenario

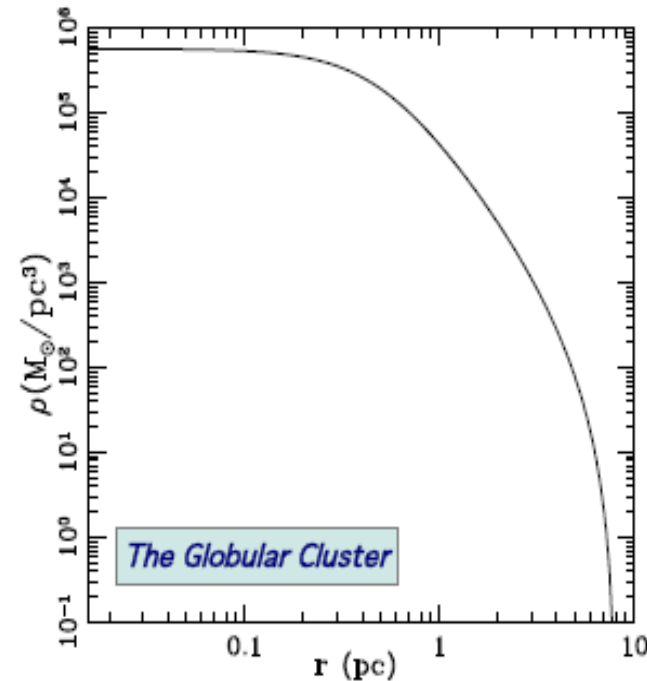
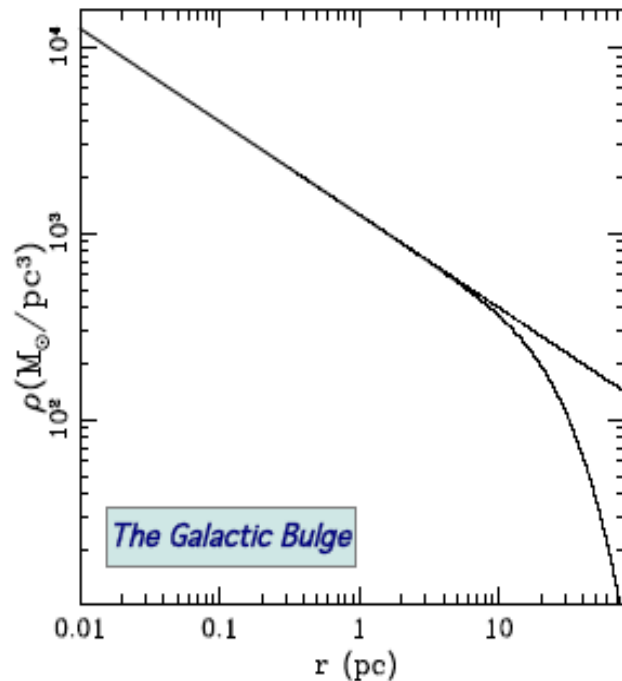
- 12 consecutive infall of 10^6 Msun clusters into galactic nucleus (MBH with 4×10^6 Msun)
- Analysis of the NSC structure, and the distribution of the multiple population of stars
- Later we explored the possibility of infall of IMBH-hosting cluster

Initial Conditions

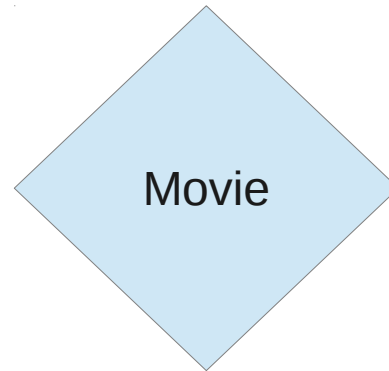
We modeled the Galaxy by mean of a truncated power law

$$\rho(r) = 400 \left(\frac{r}{10\text{pc}} \right)^{-0.5} \text{sech} \left(\frac{r}{22\text{pc}} \right) M_{\odot}/\text{pc}^3.$$

For The GCs we used a King model with $W_0 = 5.8$, $\sigma_K = 35\text{km/s}$, $r_c = 0.5\text{pc}$, $r_t=8\text{pc}$ and $M = 1.1 \times 10^6 M_{\odot}$. In one set of simulations, at the center of each GC there is an IMBH with $M = 10^4 M_{\odot}$.



The Cluster Infall Scenario: The movie



The cluster infall scenario: Dynamical age and mass segregation

- Stars at R_c from the infalling cluster center are stripped by MBH and the NSC at R_s , defined as the tidal radius for stars at that position:

$$R_s = \left(\frac{M_{BH} + M_{NSC}(< R_t)}{M(< R_c)} \right)^{1/3} R_c$$